Capital Income Taxation with Parental Incentives

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Aim & Findings

- Aim: This paper studies the effect of intergenerational time-preference heterogeneity on capital income taxation.
- Setting: There are kids and paternalistic parents who have different discount factors.
- The parents directly affects kids' savings by leaving state-contingent intergenerational transfers.
- The parents indirectly affect the kids' savings by influencing the determination of capital tax schedule. (since the government respects all people's utilities)
- Main Finding: If the parents have higher discount factor than kids (i.e. hyperbolic discounting),
- the marginal parental transfer is positive (which incentives kids' savings); the marginal capital tax is positive (which dis-incentivises kids' savings).
- The tax does not perfectly remove the effects of parental intervention; kids savings are still enhanced comparing to the case without tax and transfers.

Model

Environment

- Two periods: t= 1 & 2. Two generations: K & P
- Two identical parents live in period 1. The parents have two kids (H & L) who live in both periods. Hence there are four people in the economy.
- Kids consume and save; parents consume and leave inter vivos transfers.
- Assumption (Time-Preference Heterogeneity) & Definition of Parameters
- •Time-preference heterogeneity among kids: $\beta^L < \beta^H$
- •Intergenerational time-preference heterogeneity: $\beta^P = \beta^H$, $\beta^P > \beta^L$
- γ : The degree of paternalism; α : The degree of overall altruism.
- A linear savings technology with rate of return R > 0.

	Kids $(j = H, L)$	Parents (P)	Government (G)
Utility	$U^{j}(\beta^{j}) = u(c_{1}^{j}) + \beta^{j}u(c_{2}^{j})$ where c_{t}^{j} is j's consumption at t.	$U^{P} = u(c_{1}^{P}) + \alpha \left[\frac{1}{2} \underbrace{W(\beta^{P}, \beta^{H})}_{H's \ Utility} + \frac{1}{2} \underbrace{W(\beta^{P}, \beta^{L})}_{L's \ Utility} \right]$ where $W(\beta^{P}, \beta^{j}) = \gamma \underbrace{U^{j}(\beta^{p})}_{Paternalism} + (1 - \gamma)U^{j}(\beta^{j})$.	$Welfare = \frac{1}{2}U^{P} + \frac{1}{4}U^{H} + \frac{1}{4}U^{L} = \frac{U^{G,H} + U^{G,L}}{2}$ where $U^{G,j} = u(c_{1}^{P}) + (1 + \alpha) \left[u(c_{1}^{j}) + \beta^{G,j} u(c_{2}^{j}) \right].$
Optimal Consumption Path	$\frac{u'(c_1^j)}{Ru'(c_2^j)} = \beta^j$	$\frac{u'(c_1^j)}{Ru'(c_2^j)} = \beta^{P,j}(\gamma) \text{ where } \beta^{P,j}(\gamma) = \gamma \beta^P + (1-\gamma)\beta^j.$	$\frac{u'(c_1^j)}{Ru'(c_2^j)} = \beta^{G,j}(\alpha,\gamma) \text{ where } \beta^{G,j}(\alpha,\gamma) = \frac{\alpha\beta^{P,j} + \beta^j}{1+\alpha}.$

Finding 1 (Optimal Saving for Each Player)

$$\beta^{L} < \beta^{G,L} < \beta^{P,L} < \beta^{P} \\ \beta^{H} = \beta^{G,H} = \beta^{P,H} = \beta^{P}$$

$$\Longrightarrow S_{*}^{L} < S_{*}^{G,L} < S_{*}^{P,L} \\ S_{*}^{H} = S_{*}^{G,H} = S_{*}^{P,H}$$

Intuition

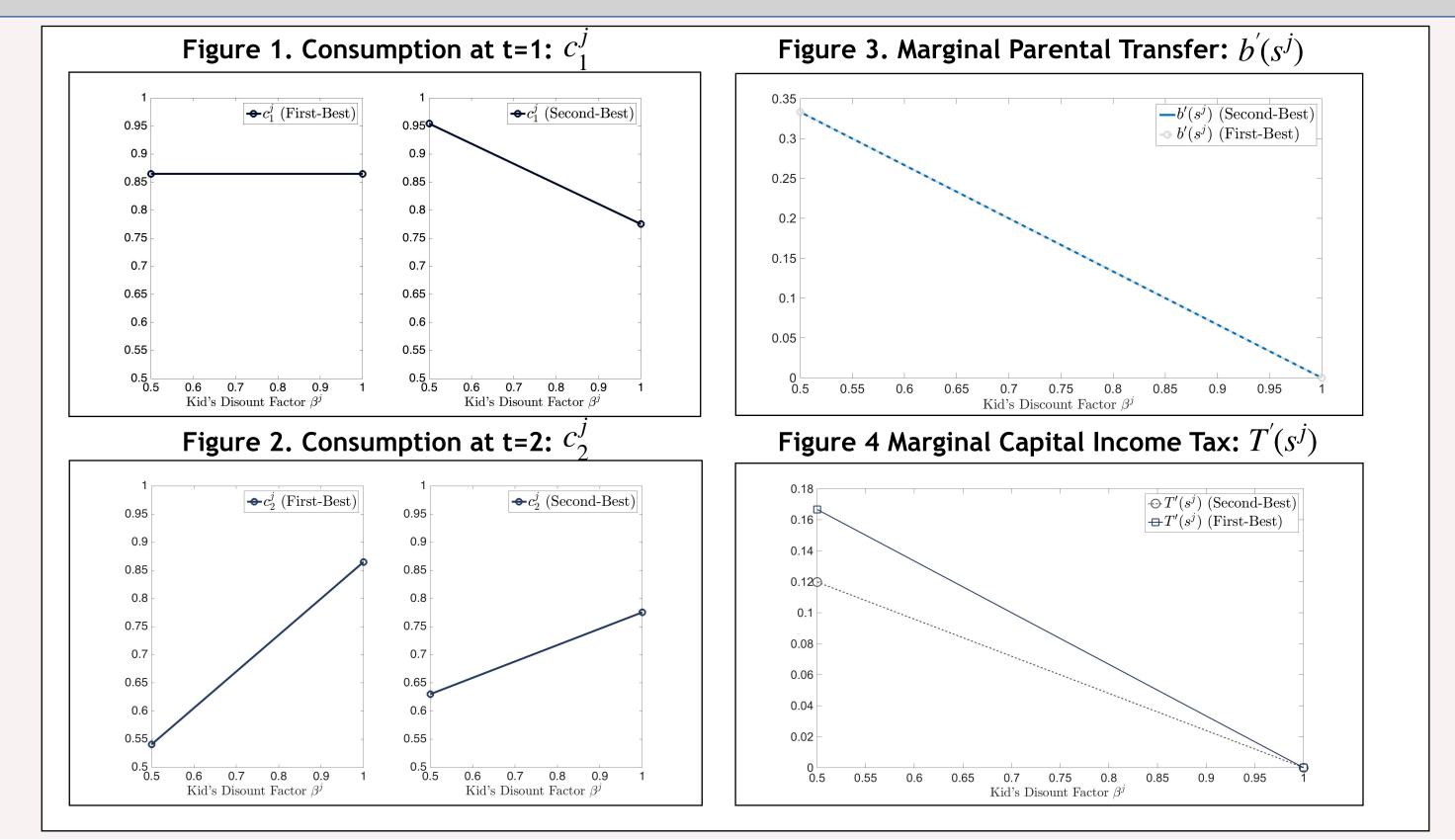
- For H, there is no conflict of interest.
- The parents think L saves too less without intervention; have an incentive to set a positive marginal transfer rule. The government also considers L's saving would be too less; but the parents' intervention would be too much.

Capital Taxation with Parental Transfers

How to implement the optimal savings from the government's perspective? Timing of Events • Suppose for simplicity the government can only use capital taxes: $T(s^H)$, $T(s^L)$. Stage 1: Government sets the tax schedule. • We consider the following two cases: (i) first-best without private information; (ii) second-best where the Stage 2: Parents set transfer schedule. government cannot observe beta while the parents can. Stage 3: Consumption & Saving. In equilibrium (see stage 1-2), we have Given tax and transfer rules, kids choose his/her consumption path: The FOCs yields: Stage 3 $\frac{u'(c_1^j)}{Ru'(c_2^j)} = \beta^j \left(\frac{1 - T'(s^j)}{1 - b'(s^j)}\right). \qquad \frac{1 - T'(s^j)}{1 - b'(s^j)} = \frac{1 - \frac{\beta^{P,j} - \beta^{G,j}}{\beta^{P,j}}}{1 - \frac{\beta^{P,j} - \beta^j}{\alpha^{P,j}}} = \frac{\beta^{G,j}}{\beta^j} \ge 1.$ $arg \max U^j(\beta^j)$ s.t. the budget constraints: $c_1^j + s^j \le I^k + b(s^j), c_2^j \le s^j - T(s^j)$. Hence the L's saving is encouraged. The parents would set the transfer rule so that: The parents' optimal consumption path are given by: The FOCs yields: $\frac{u'(c_1^j)}{Ru'(c_2^j)} = \beta^{P,j} (1 - T'(s^j)). \quad \beta^j \left(\frac{1 - T'(s^j)}{1 - b'(s^j)}\right) = \beta^{P,j} (1 - T'(s^j)) \implies b'(s^j) = \frac{\beta^{P,j} - \beta^j}{\beta^{P,j}}.$ Stage arg max U^P s.t. the resource constraints: $c_1^P + c_1^H + c_1^L + s^H + s^L \le 2I^P + 2I^k,$ $c_2^H + c_2^L \le s^H + s^L - T(s^H) - T(s^L).$ The marginal parental transfer is positive for L and The government would set the transfer rule so that: The government's optimal consumption path are given by: The FOCs yields: The marginal capital income tax is positive for L and

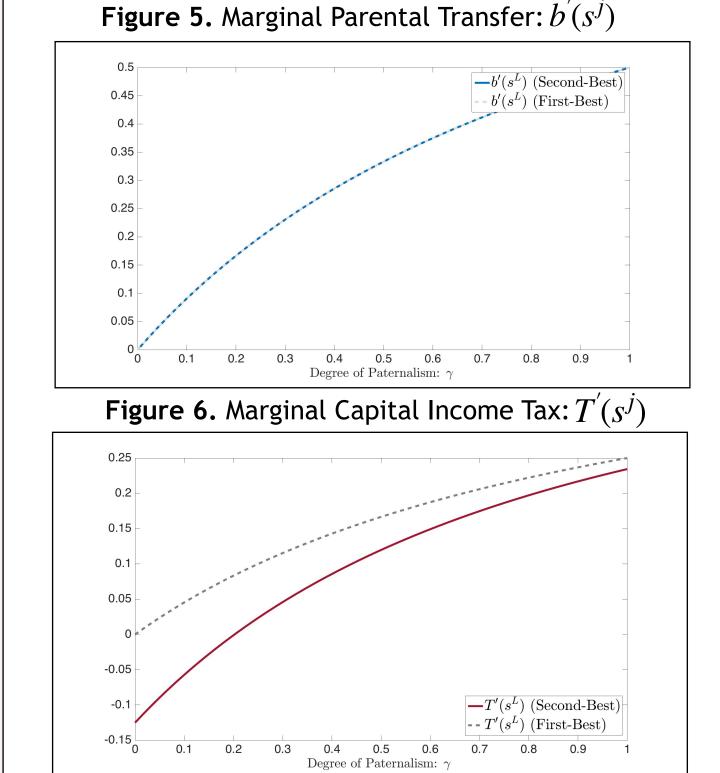
Benchmark ($u(c) = \ln c$; $\beta^H = 1.00$, R = 1.00, $\beta^L = 0.50$, $I^k = 1.00$, $I^p = 1.00$, $\alpha = 1.00$, $\gamma = 0.50$)

 $u(c_1^L) + \beta^L u(c_2^L) \ge u(c_1^H) + \beta^L u(c_2^H), \quad u(c_1^H) + \beta^H u(c_2^H) \ge u(c_1^L) + \beta^H u(c_2^L).$



Effects of Paternalism γ on $T'(s^j)$ & $b'(s^j)$

zero for H.



Intuition

- In the second-best case, the consumption for L is increased to satisfy the self-selection constraint.
- More paternalistic parents, higher marginal transfers and higher marginal taxes for L.
- •For H, the paternalism does not affect the marginal transfers and taxes.